

minimum/at least:  $\geq$   
 maximum/at most:  $\leq$

$A = P(1 \pm r)^t$  nothing below  
 $A = P(1 + \frac{r}{n})^{nt}$  compounded  
 $A = Pe^{rt}$  continuously  
 $A = P(\frac{1}{2})^{\frac{t}{h}}$  half life  
 $A = P(1 \pm r)^{\frac{t}{h}}$  irregular time

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 Algebra II

## Modeling Exponential Functions with Inequalities

1. Tage deposits  $\overset{P}{\$2500}$  into an account that earns  $\overset{r=.027}{2.7\%}$  interest compounded continuously.  $\overset{Pe^{rt}}$  Which inequality can be used to determine how long it will take for his account to have at least  $\geq 4000$ ?

- 1)  $2500(1.027)^t \leq 4000$   
 2)  $2500(1.027)^t \geq 4000$   
 3)  $2500e^{.027t} \leq 4000$   
 4)  $2500e^{.027t} \geq 4000$

$P=2500$   
 $r=.027$   
 $t=t$

$Pe^{rt} \geq 4000$   
 $2500e^{.027t} \geq 4000$

2. Lamar has  $\overset{P}{2000}$  ants in an ant colony and the population is  $\overset{\text{double time/half life } h}{\text{doubling every 4 days}}$ . His tank can hold a maximum amount of 325000 ants. Which inequality can be used to determine how many days,  $d$ , can pass before he will need to buy a bigger tank?

- 1)  $2000(2)^{\frac{d}{4}} \leq 325000$   
 2)  $2000(2)^{\frac{d}{4}} \geq 325000$   
 3)  $2000(4)^{\frac{d}{2}} \leq 325000$   
 4)  $2000(4)^{\frac{d}{2}} \geq 325000$

$\leq 325000$   
 $P=2000$   
 $t=d$   
 $h=4$

$P(2)^{\frac{t}{h}} \leq 325000$   
 $2000(2)^{\frac{d}{4}} \leq 325000$

3. Caleb bought a car for  $\overset{P}{\$19,100}$  and its value is decreasing by  $\overset{r=.12}{12\%}$  each year. He wants to sell his car while its value is greater than \$5000. Which inequality can be used to find the maximum number of years,  $t$ , he can keep his car while its value is greater than \$5000?  $\geq 5000$

- 1)  $19100(.12)^t \geq 5000$   
 2)  $19100(.12)^t \leq 5000$   
 3)  $19100(.88)^t \geq 5000$   
 4)  $19100(.88)^t \leq 5000$

$P=191000$   
 $r=.12$   
 $t=t$

nothing below  
 $P(1-r)^t \geq 5000$   
 $19100(1-.12)^t \geq 5000$   
 $19100(.88)^t \geq 5000$

4. A sample of  $\overset{P}{2000}$  grams of Fluorine-18 has a  $\overset{h}{\text{half life of } 109.734}$  minutes. Which inequality can be used to represent how many minutes,  $m$ , can pass for there to be a minimum of 67 grams remaining?  $\geq 67$

- 1)  $2000(\frac{1}{2})^{\frac{t}{109.734}} \geq 67$   
 2)  $2000(\frac{1}{2})^{\frac{t}{109.734}} \leq 67$   
 3)  $2000(2)^{\frac{t}{109.734}} \geq 67$   
 4)  $2000(2)^{\frac{t}{109.734}} \leq 67$

$P=2000$   
 $h=109.734$   
 $t=t$   
 $P(\frac{1}{2})^{\frac{t}{h}} \geq 67$   
 $2000(\frac{1}{2})^{\frac{t}{109.734}} \geq 67$